

How to Solve: Positive and Negative Numbers

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YouTube Video Link to this Post is [Here](#)

Following is Covered in this post

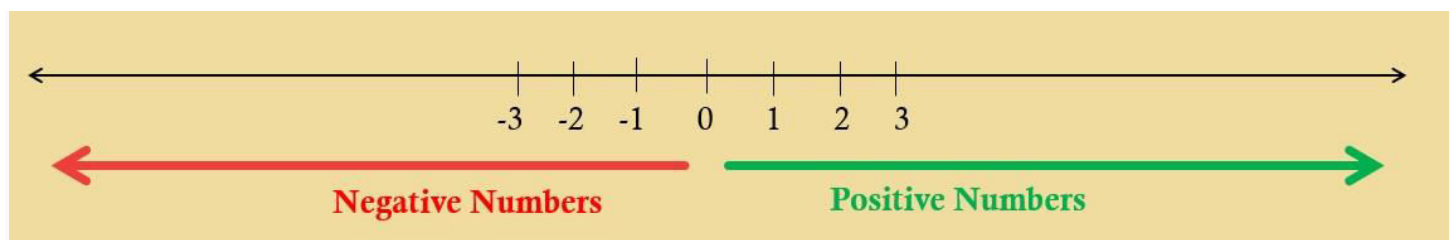
Following is Covered in the Video

- Types of Numbers
- Zero
- Properties of Positive & Negative Numbers
- Solved Problems

Types of Numbers

Three types of numbers are there in a number line

- Positive Number – All numbers to the right of 0 on the number line
- Negative Numbers – All numbers to the left of 0 on the number line
- Zero (neither +ve nor -ve)



Zero

- Zero is neither positive nor negative
- Zero is an even number
- For all $x \neq 0$, $x \times 0 = 0$
- Division by zero is not defined

Properties of Positive and Negative Numbers

▸ Addition

(P is Positive and N is Negative)

$$\mathbf{P + P = P}, \text{ Ex: } 2 + 3 = 5$$

$$\mathbf{P + N = P \text{ or } N \text{ or } 0}, \text{ Ex1: } 3 + (-2) = 1, \text{ Ex2: } 2 + (-3) = -1, \text{ Ex3: } 3 + (-3) = 0$$

$$\mathbf{N + P = P \text{ or } N \text{ or } 0}, \text{ Ex: Same as above}$$

$$\mathbf{N + N = N}, \text{ Ex: } -2 + (-3) = -5$$

▸ Subtraction

$$\mathbf{P - P = P \text{ or } N \text{ or } 0}, \text{ Ex1: } 3 - 2 = 1, \text{ Ex2: } 2 - 3 = -1, \text{ Ex3: } 3 - 3 = 0$$

$$\mathbf{P - N = P}, \text{ Ex: } 3 - (-2) = 5$$

$$\mathbf{N - P = N}, \text{ Ex: } -3 - 2 = -5$$

$$\mathbf{N - N = P \text{ or } N \text{ or } 0}, \text{ Ex1: } -3 - (-4) = 1, \text{ Ex2: } -3 - (-2) = -1, \text{ Ex3: } -3 - (-3) = 0$$

▸ Division

$$\mathbf{P / P = P}, \text{ Ex: } 6/2 = 3$$

$$\mathbf{P / N = N}, \text{ Ex: } 6/-2 = -3$$

$$\mathbf{N / P = N}, \text{ Ex: } -6/2 = -3$$

$$\mathbf{N / N = P}, \text{ Ex: } -6/-2 = 3$$

▸ Multiplication

$$\mathbf{P * P = P}, \text{ Ex: } 2 * 3 = 6$$

$$\mathbf{P * N = N}, \text{ Ex: } 2 * -3 = -6$$

$$\mathbf{N * P = N}, \text{ Ex: } -2 * 3 = -6$$

$$\mathbf{N * N = P}, \text{ Ex: } -2 * -3 = 6$$

▸ **IF we are multiplying ODD number of Negative numbers then we will get a NEGATIVE number (Assuming they are not getting multiplied with zero)**

▸ **IF we are multiplying EVEN number of Negative numbers then we will get a POSITIVE number (Assuming they are not getting multiplied with zero)**

► **If Product/Ratio of two numbers is positive, then both the numbers will have the SAME sign.**

Example : $xy > 0$ or $x/y > 0$

=> x and y have the SAME sign

=> Either $x > 0$ and $y > 0$

Or $x < 0$ and $y < 0$

► **If Product/Ratio of two numbers is negative, then both the numbers will have DIFFERENT signs.**

Example : $xy < 0$ or $x/y < 0$

=> x and y have DIFFERENT signs

=> Either $x > 0$ and $y < 0$

Or $x < 0$ and $y > 0$

Solved Problems

Q1. Which of the following cannot be the value of x if $y/(x-2) = 5$?

A. 1

B. 2

C. 3

D. 4

E. 5

Sol: Denominator cannot be equal to 0

=> $x - 2 \neq 0$

=> $x \neq 2$

So, Answer will be B

Q2. Given that a and b are positive, and c and d are negative, which of the following will be positive for sure? (select all possible)

A. $ab + cd$

B. $ab + acd$

C. $acd + bcd$

D. $abc + d$

E. $c + cd$

Sol:

A. $ab + cd = P*P + N*N = P + P = P = \text{TRUE}$

B. $ab + acd = P*P + P*N*N = P + P = P = \text{TRUE}$

C. $acd + bcd = P*N*N + P*N*N = P + P = P = \text{TRUE}$

D. $abc + d = P*P*N + N = N + N = N = \text{FALSE}$

E. $c + cd = N + N*N = N + P = N \text{ or } P \text{ or } 0 = \text{FALSE}$

So, Answer will be A, B, C

Q3. Is $bd > 0$?

A. $ab > 0$

B. $cd > 0$

Sol:

Stat A : $ab > 0$

There are two cases

$a > 0$ and $b > 0$

$a < 0$ and $b < 0$

In both the cases we don't know anything about the sign of d so **NOT sufficient**

Stat B: $cd > 0$

There are two cases

$c > 0$ and $d > 0$

$c < 0$ and $d < 0$

In both the cases we don't know anything about the sign of b so **NOT sufficient**

Combining both the statements we will have four cases

(1) $a > 0$ $b > 0$ $c > 0$ $d > 0$

(2) $a > 0$ $b > 0$ $c < 0$ $d < 0$

(3) $a < 0$ $b < 0$ $c > 0$ $d > 0$

(4) $a < 0$ $b < 0$ $c < 0$ $d < 0$

In case 1 and 4 $bd > 0$ and in case 2 and 3 $bd < 0$

So, Together also **NOT sufficient**.

So, Answer will be E

Q4. Is $bd > 0$?

A. $ab > 0$

B. $ad > 0$

Sol:

Stat A : $ab > 0$

There are two cases

$a > 0$ and $b > 0$

$a < 0$ and $b < 0$

In both the cases we don't know anything about the sign of d so **NOT sufficient**

Stat B: $ad > 0$

There are two cases

$a > 0$ and $d > 0$

$a < 0$ and $d < 0$

In both the cases we don't know anything about the sign of b so **NOT sufficient**

Combining both the statements we will have two cases

(Since we have a common variable " a " in both the statements so we will combine the two statements based on the sign of the common variable)

First case of STAT A will be combined with the first case of Stat B and

Second case of STAT A will be combined with the second case of Stat B

(1) $a > 0$ $b > 0$ $d > 0$ (2) $a < 0$ $b < 0$ $d < 0$

In both the cases $bd > 0$

So, Together the two statements are **SUFFICIENT**.

So, **Answer will be C**

Hope it helps!